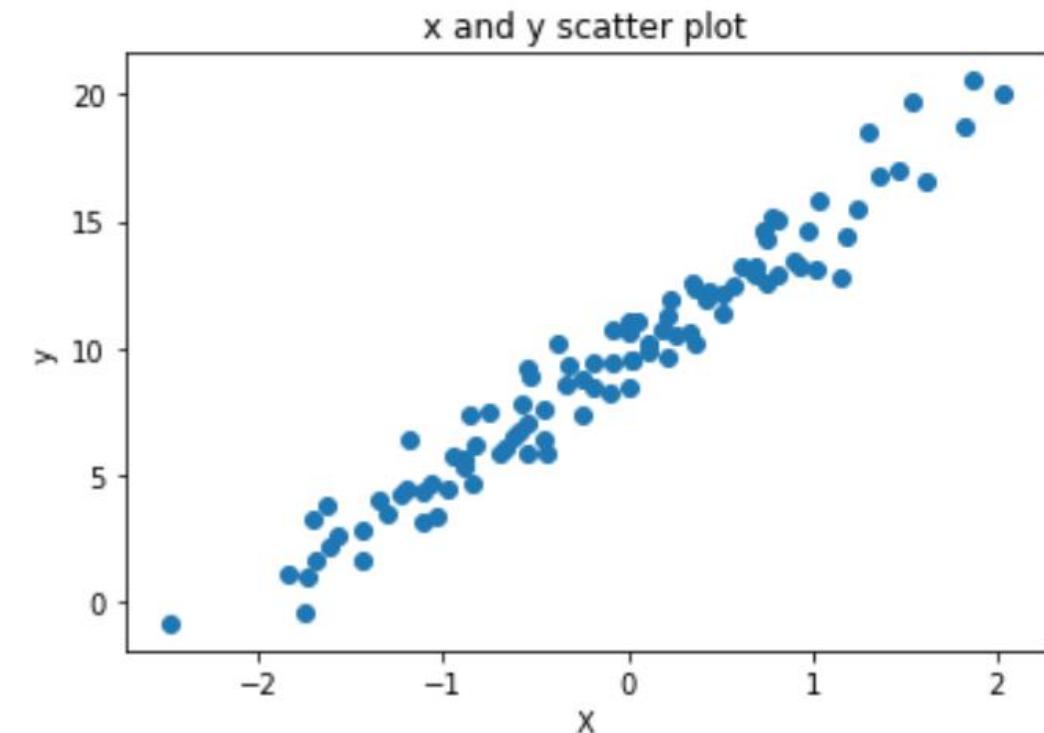


数値計算用ライブラリ

```
import numpy as np      機械学習用ライブラリScikit-learn
from sklearn.linear_model import LinearRegression
from sklearn.model_selection import train_test_split
from sklearn.metrics import mean_squared_error
import matplotlib.pyplot as plt  グラフ作成用ライブラリ
%matplotlib inline

np.random.seed(100)    いつも同じ乱数に固定
data_size = 100
X = np.random.randn(data_size) 標準正規分布の乱数
y = 5 * X + 10 + np.random.randn(data_size) 誤差

fig = plt.figure()
ax = fig.add_subplot(1,1,1)
ax.scatter(X, y) 散布図
ax.set_title(u"x and y scatter plot")
ax.set_xlabel("X")
ax.set_ylabel("y")
plt.show()
```



X_train,X_test,y_train,y_test=¥

＼もしくは¥は、改行無視

train_test_split(X,y,test_size=0.3,random_state=0)

Xとyのデータを指定した割合で分割
学習用データ:テストデータ = 7:3

print("X_trian :", X_train.shape)

print("X_test :", X_test.shape)

print("y_trian :", y_train.shape)

print("y_test :", y_test.shape)

lr = LinearRegression() ←線形回帰

残差の2乗の合計が最小となる勾配と切片を算出
lr.fit(データ)

lr.fit(X_train.reshape(-1, 1), y_train)

傾き: [4.87800146]

print("傾き:", lr.coef_)

切片: 9.880209243463511

print("切片:", lr.intercept_)

y_pred = lr.predict(X_test.reshape(-1, 1))

予測結果 [14.6040065 9.83994175 12.79186354 11.39130635 9.23670159]

print('予測結果¥n', y_test[:5])
print('答え¥n', y_pred[:5])

答え [13.44602999 10.41128697 15.50471957 12.35730517 7.19382354]

print('トレーニングデータの平均乗誤差:', ¥

トレーニングデータの平均乗誤差: 1.050530750671141
テストデータの平均2乗誤差: 1.2382110791683136

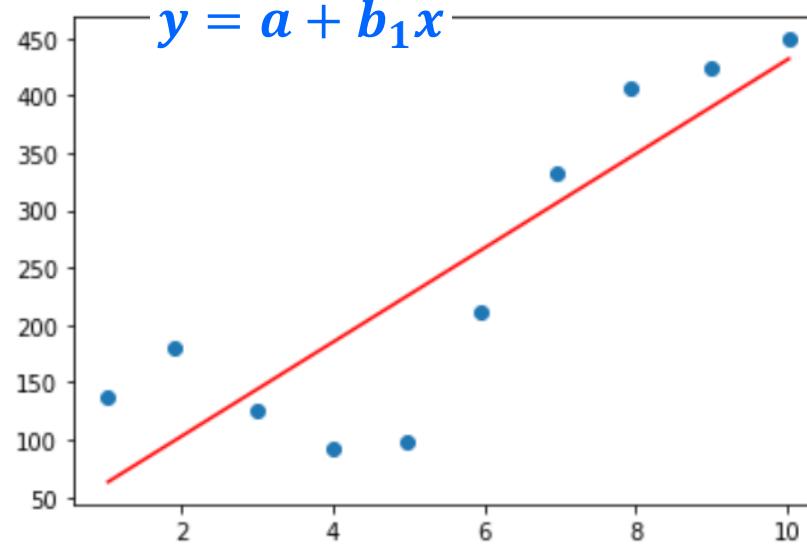
mean_squared_error(y_train,
lr.predict(X_train.reshape(-1, 1))))

print(' テ ス ト デ 一 タ の 平 均 2 乘 誤 差 : ',

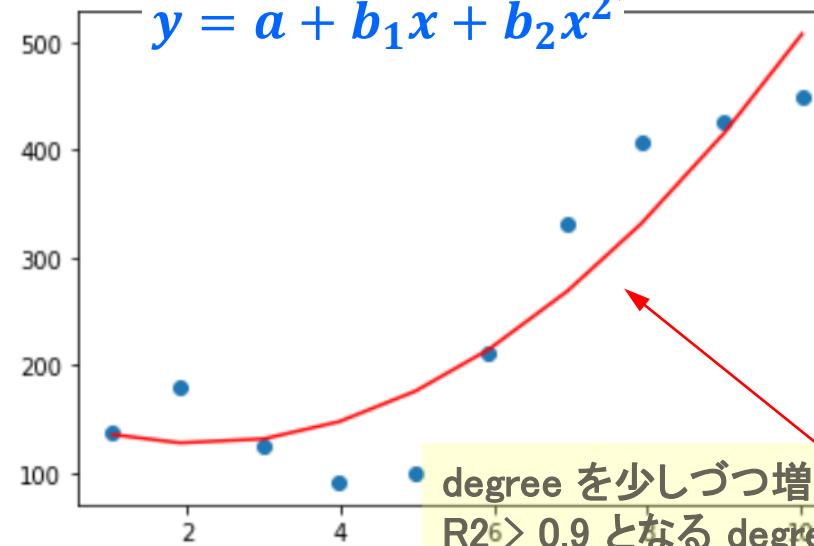
mean_squared_error(y_test, y_pred))

```
[[ 1.028]
 [ 1.911]
 [ 3.002]
 [ 3.985]
 [ 4.977]
 [ 5.936]
 [ 6.957]
 [ 7.917]
 [ 9.002]
 [10.018]]
[[136.7467638]
[179.3086724]
[124.7939742]
[ 91.608693]
[ 99.06056946]
[211.3147593]
[331.87715]
[407.3815]
[425.1095402]
[449.1164546]]
```

rmse : 67.44116527130275
R2 : 0.7534254734665234



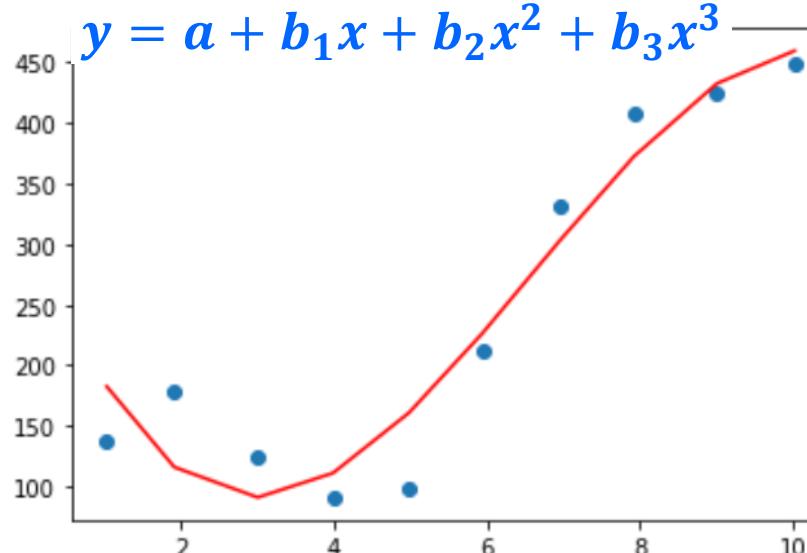
rmse : 50.06437014920699
R2 : 0.8641199837148785



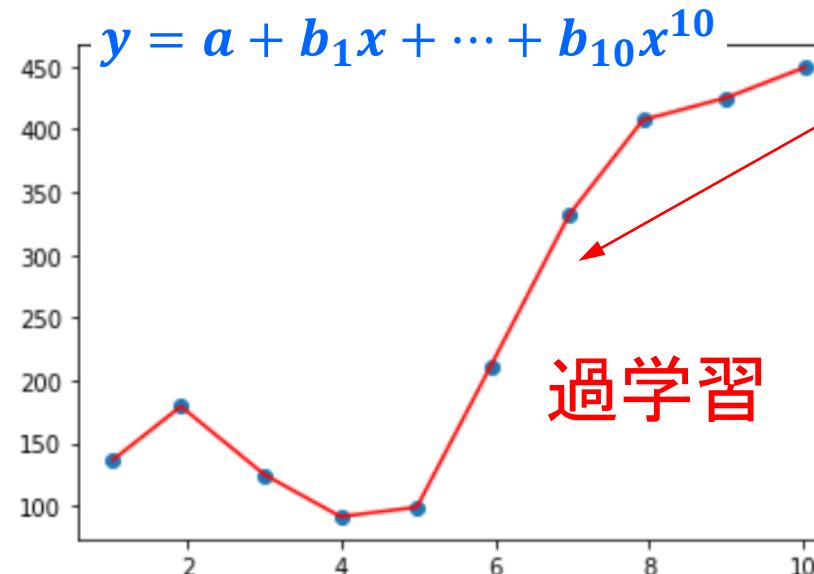
決定係数

degree	R2
1	0.753
2	0.864
3	0.925
10	1.000

rmse : 37.231982479228975
R2 : 0.9248497551567119

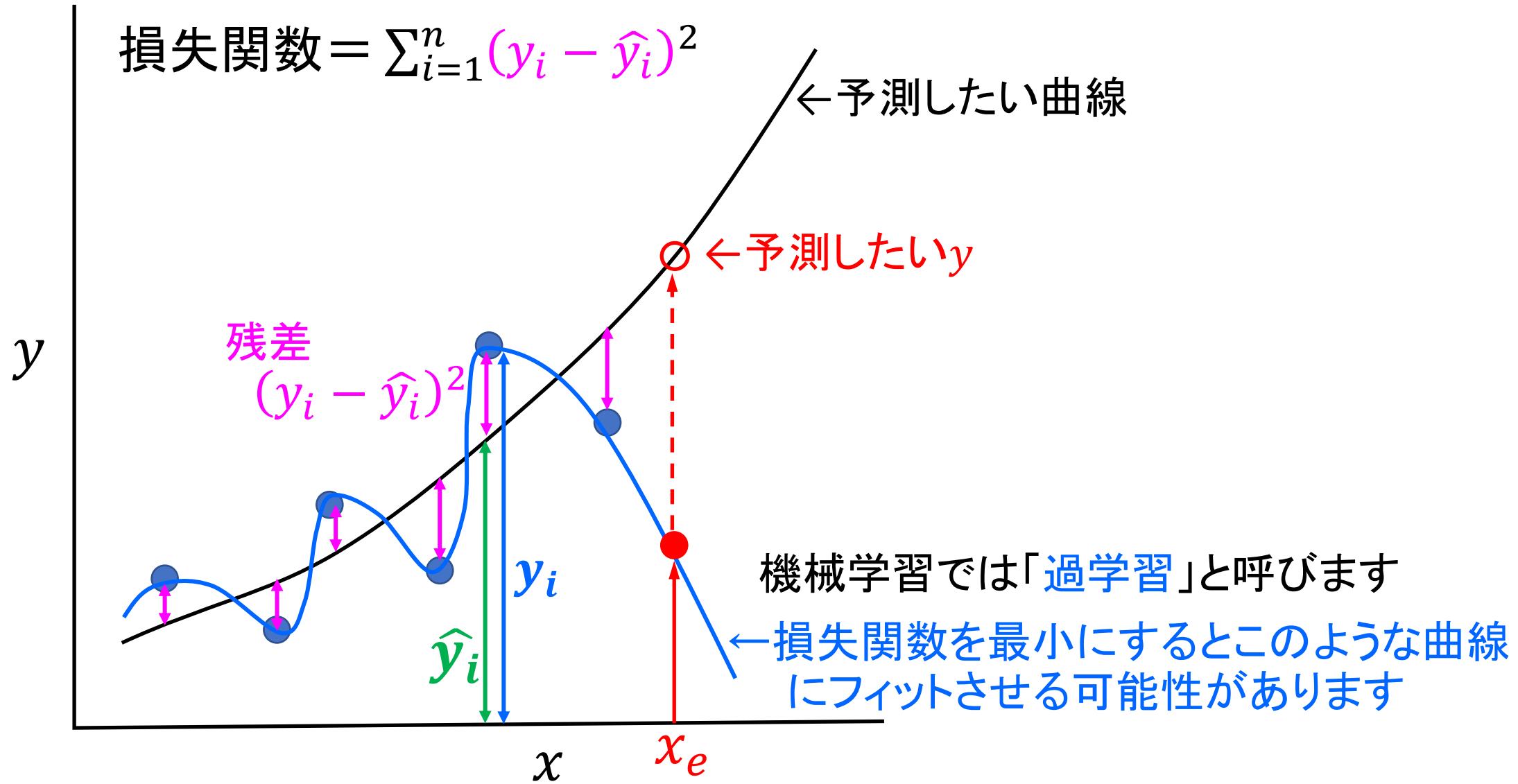


rmse : 3.635961863135608e-06
R2 : 0.9999999999999993



どちらが良さそう？

$$\text{損失関数} = \sum_{i=1}^n (y_i - \hat{y}_i)^2$$



$$\text{損失関数} = \sum_{i=1}^n (y_i - \hat{y}_i)^2$$

過学習を防ぐためこの項を加える

リッジ回帰：重みの二乗の合計を足したもの

$$\sum_{i=1}^n (y_i - \hat{y}_i)^2 + \lambda \sum_{I=1}^k \omega_i^2$$

LASSO回帰：重みの合計を足したもの

$$\sum_{i=1}^n (y_i - \hat{y}_i)^2 + \lambda \sum_{i=1}^k |\omega_i|$$

リッジ回帰

```
from sklearn.linear_model import Ridge  
rg = Ridge(alpha=0.3, random_state=1234)  
rg.fit(X_train.reshape(-1, 1), y_train)      Alphaは罰則の重み  
print("傾き:", rg.coef_)                    Ridge(alpha=0.3, copy_X=True, fit_intercept=True, max_iter=None,  
print("切片:", rg.intercept_)               normalize=False, random_state=1234, solver='auto', tol=0.001)  
  
y_pred = rg.predict(X_test.reshape(-1, 1))  
print('予測結果\n', y_test[:5])            傾き: [4.85673346]  
print('答え\n', y_pred[:5])                切片: 9.878280306770973  
  
print('トレーニングデータの平均乗誤差:',  
      mean_squared_error(y_train,  
      rg.predict(X_train.reshape(-1, 1))))  
print('テストデータの平均2乗誤差:',  
      mean_squared_error(y_test, y_pred))    予測結果 [14.6040065 9.83994175 12.79186354 11.39130635 9.23670159]  
                                            答え [13.42855414 10.40704254 15.47826787 12.34457614 7.20360719]  
  
トレーニングデータの平均乗誤差: 1.050973435013048  
テストデータの平均2乗誤差: 1.2311162936334716
```

LASSO回帰

	傾き	切片	平均2乗誤差	
			トレーニングデータ	テストデータ
線形回帰	4.878	9.880	1.0505	1.2382
リッジ回帰	4.857	9.878	1.0510	1.2311
LASSO回帰	4.857	9.878	1.0510	1.2311

```

fig = plt.figure()
ax = fig.add_subplot(1,1,1)
ax.scatter(X_test, y_test)
ax.set_title(u"x and y scatter plot")
ax.plot(X_test, lr.predict(X_test.reshape(-1, 1)), color = 'r',
        linestyle="--", label="LinearRegression")
ax.plot(X_test, rg.predict(X_test.reshape(-1, 1)), color = 'b',
        linestyle="--", label="Ridge")
ax.plot(X_test, la.predict(X_test.reshape(-1, 1)), color = 'g',
        linestyle=":", label="Lasso")
ax.set_xlabel("x")
ax.set_ylabel("y")
ax.legend(loc="best")
plt.show()

```

